

# Speed of Sound

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IB PHYSICS | WAVES - SOUND

# Speed of Sound Depends on Medium

Medium	Speed of sound (m/s)	Medium	Speed of sound (m/s)
<b>Gases</b>		<b>Liquids at 25 °C</b>	
Air (0 °C)	331	Water	1,490
Air (25 °C)	346	Sea water	1,530
Air (100 °C)	386	<b>Solids</b>	
Helium (0 °C)	972	Copper	3,813
Hydrogen (0 °C)	1,290	Iron	5,000
Oxygen (0 °C)	317	Rubber	54

Air (25 °C)  
760 mph  
0.21 miles/sec

Speed of Sound for Air (at any temp)

$$v = 331 \text{ m s}^{-1} + 0.6 \times (\text{Temp in } ^\circ\text{C})$$

# Speed of Sound Depends on Medium

Why does Medium Affect Speed?

molecule spacing

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iron

air

Do other factors increase speed?

Frequency?

No

$$v = f \times \lambda$$

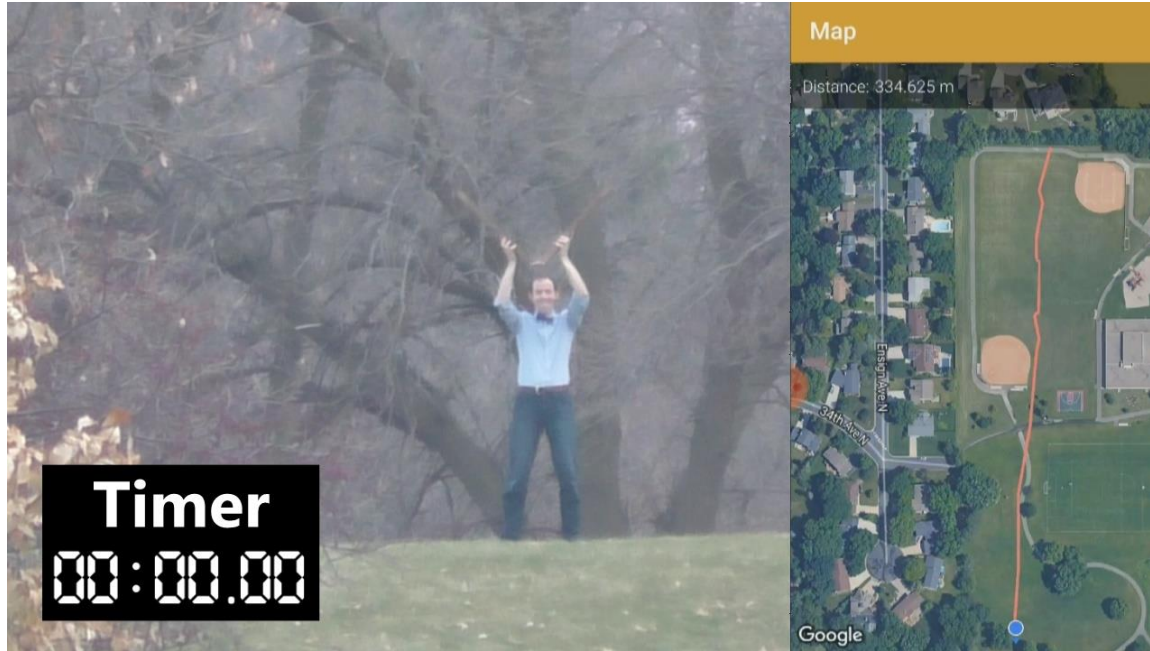
$$v = f \times \lambda$$

Amplitude?

No

\*Independent from all other wave properties

# Sound is fast, but not THAT fast...



$$d = 335 \text{ m}$$

$$t = 0.935 \text{ s}$$

$$v = \frac{d}{t} = \frac{335 \text{ m}}{0.935 \text{ s}} = 358 \text{ m s}^{-1}$$

# Using the Speed of Sound



You see lightning strike and immediately start counting, once you get to 7 seconds, you hear the boom of thunder. How far away is the storm?

Air (25 °C)

346 m/s

760 mph

0.21 miles/sec

$$\begin{aligned}d &= vt = (0.21)(7) \\ &= \mathbf{1.47 \text{ miles}}\end{aligned}$$

# Shortcut for Clocking a Storm



As soon as you see lightning strike, start counting...

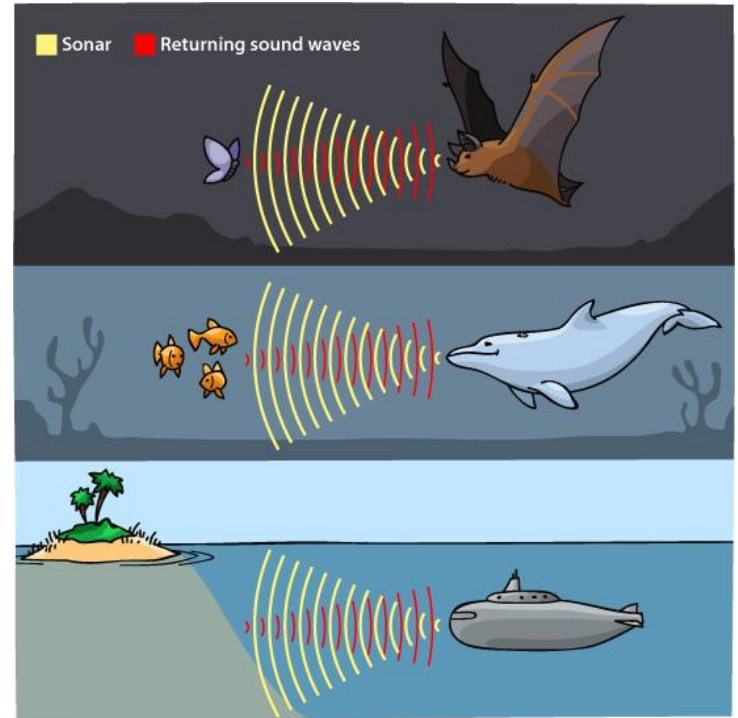
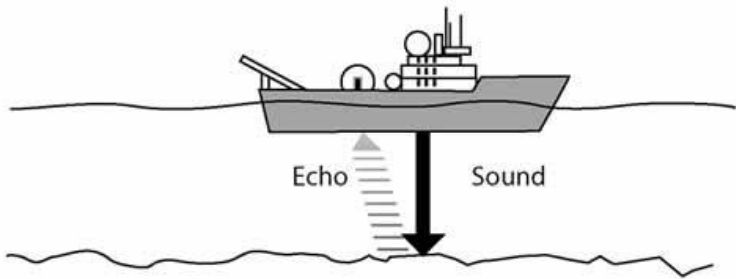
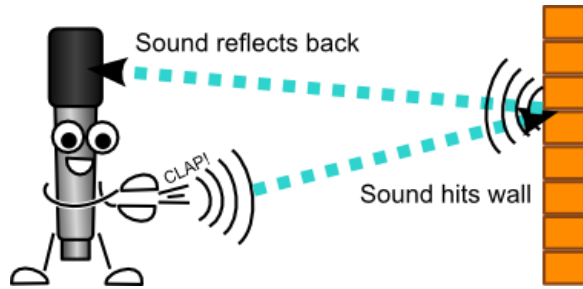
One one thousand, Two one thousand...

Stop counting as soon as you hear the thunder from that bolt of lightning

$$\text{Distance in Miles} = \text{Time} / 5$$

# ECHO.... Echo.... Echo....

When you hear an echo, you are hearing the sound after it has reflected off of an object and returned to your ear





# Calculating Distance from an Echo



A saxophonist plays a duet with himself using the echo of the sound in a long pipe. If the speed of sound is 340 m/s and echo returns 1.3 seconds after the original sound, how long is the pipe?

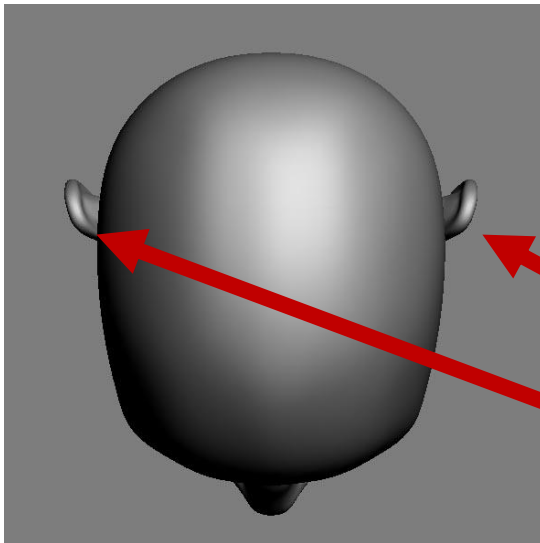
$$v = \frac{d}{t}$$

← Only half the time to go one way

$$d = vt = (340)(0.65) = \mathbf{221\ m}$$

# How do we locate sounds?

Sound reaches one ear before the other. It also sounds different from different locations due to the shape of our ears.



# Lesson Takeaways

- I can describe why sound travels at different speeds in different media
- I can calculate how far a distant object is by timing an echo